

Trilogy

Re-Architecting the Internet

Routing tables as a *public good*
First steps/thoughts

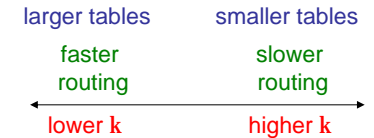
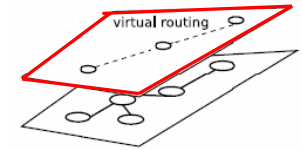
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Introduction

- Assume a *compact routing* scheme for identifiers (overlay routing)
 - Relies on an underlay routing scheme
 - In parallel to other overlay schemes
- Stretch vs. routing table size tradeoff
 - Users could influence system parameter k selection, but should be done according to their utility for fast routing
- Purpose: Design a centralized mechanism that incentivizes users to declare their true utility and result in *economic-aware* routing schemes



The public good model

- Suppose system is composed of N users and let:
 - Q denote the total number of entries in *compact routing tables*
 - $u(Q)$ be the maximum utility over all users
 - Public good* notion: Q is non-rivalrous (it is not consumed when used by a user)
 - $\theta_i \in [0,1]$: user's i preference parameter (private information)
 - $C(Q)$ is the total cost of supporting Q routing entries

$\theta_i u(Q) =$
user's i
utility



Mechanism Design

- Mechanism designer announces rules and user i declares his θ_i
- Mechanism rules/outputs:
 - $Q(\theta)$ to be realized, where $\theta = (\theta_1, \theta_2, \dots, \theta_n)$
 - affects compact routing parameter k
 - Access list of users $\pi(\theta) = (\pi_1(\theta), \dots, \pi_n(\theta))$
 - User i is able to use system if $\pi_i(\theta) = 1$
 - We assume that he cannot be serviced, but he is reachable through this routing scheme (that's why we don't assume this overlay routing scheme is the only one available)
 - Users' contribution fee $p(\theta) = (p_1(\theta), \dots, p_n(\theta))$
 - can be number of routers



Mechanism Design

Aim is to maximize expected social welfare

$$\text{maximize}_{\pi_1(\cdot), \dots, \pi_n(\cdot), Q(\cdot)} E [\sum_i \pi_i(\theta) \theta_i u(Q(\theta)) - c(Q(\theta))]$$

subject to

budget balance

$$E [\sum_i \pi_i(\theta) p_i(\theta) - c(Q(\theta))] \geq 0$$

individual rationality

$$E [\pi_i(\theta_i, \theta_{-i}) \{ \theta_i u(Q(\theta_i, \theta_{-i})) - p_i(\theta_i, \theta_{-i}) \}] \geq 0$$

Incentive compatibility

$$E [\pi_i(\theta_i, \theta_{-i}) \{ \theta_i u(Q(\theta_i, \theta_{-i})) - p_i(\theta_i, \theta_{-i}) \}] \geq E [\pi_i(\hat{\theta}_i, \theta_{-i}) \{ \theta_i u(Q(\hat{\theta}_i, \theta_{-i})) - p_i(\hat{\theta}_i, \theta_{-i}) \}]$$

Courcoubetis & Weber have shown that when N is large a simple **fixed fee** policy can achieve near-optimal Social Welfare

- Fee is independent of the peers' declarations



Future extension

- Supporting different levels of discovery for different users
 - This is possible in some compact routing schemes (like NICR). It would need an extra type of routing table for more direct routes.
 - Can this mechanism be applied to underlay routing as well?

